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Wind-Thermal Power System Dispatch Using MLSAD Model and GSOICLW Algorithm

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Abstract

The decision support model of mean-lower semi-absolute deviation (MLSAD) and the optimization algorithm of group search optimizer with intraspecific competition and lévy walk (GSOICLW) are presented to solve wind-thermal power system dispatch. MLSAD model takes the profit and downside risk into account simultaneously brought by uncertain wind power. Using a risk tolerance parameter, the model can be converted to a single-optimization problem, which is solved by an improved optimization algorithm, GSOICLW. Afterwards, both the model and the algorithm are tested on a modified IEEE 30-bus power system. Simulation results demonstrate that the MLSAD model can well solve wind-thermal power system dispatch. The study also verifies GSOICLW obtains better convergent dispatching solutions, in comparison with other evolutionary algorithms, such as group search optimizer and particle swarm optimizer.

Keywords: Power system dispatch, wind power, profit, downside risk, optimization algorithm.

1. Introduction

1 Power system dispatch problems (PSDPs) are of great importance for power system operations
2 [1], including optimal power flow (OPF), economic dispatch (ED), etc. PSDPs usually aim to obtain

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the optimal dispatching solution to realize the minimization of the fuel cost of thermal units [1, 2]. Therefore, PSDP is essentially an optimization problem, and conventional optimization techniques based on mathematical programming have been used for solving it [3–5].

However, mathematical methods relies on the initial searching solution, and they are easily trapped in local optima. Therefore, evolutionary algorithms (EAs), the heuristic optimization algorithms inspired by natural mechanisms, have been used for solving PSDPs and the results are promising [6–8]. In recent years, an algorithm, i.e., group search optimizer (GSO), is proposed by simulating animal searching behavior [9], which is famous for its good global searching ability. However, it shows modest performance on optimizing unimodal functions [9], which demonstrates the local searching ability should be enhanced. Therefore, an improved GSO, GSOICLW, has been proposed to improve its local searching ability [10]. In reference [10], GSOICLW is verified to show better performances than that of GSO by testing against standard benchmark functions.

It is known the utilization of wind energy is a hot issue [11]. However, with more wind power integrated into power grids, optimal dispatching of the wind-thermal power system becomes complex because it is difficult to make prediction of wind power, due to its inherent nature of uncertainty [12, 13]. The fuzzy and the probabilistic methods are the two main methodologies proposed to solve PSDPs with wind power integrated. The former method regards wind power as the fuzzy variable, and can well reflect dispatchers' attitude. However, the final dispatching solution maybe subjected to strong subjectiveness [14, 15].

The probabilistic method is based on the analysis of a specific distribution, e.g., Weibull distribution [11, 16] or Gaussian distribution [17, 18]. However, Weibull distribution describes long-term characteristics of wind speed, therefore, it is not suited to be used for PSDPs [12]. In this way, Gaussian distribution is widely applied to PSDPs [12, 19, 20]. Furthermore, Monte Carlo (MC) simulation is usually used for generating wind power samples for the stochastic optimization [19, 21, 22]. However, it is noted that the objective function of stochastic optimization problem is usually the mean value of fuel cost, and the corresponding risk brought by uncertain wind power is not considered [23].

The mean-variance (MV) model that measures the profit and risk was proposed in economic investment [24], and this model has been applied in power system dispatching [2, 23, 25]. However, variance is the risk index in MV model, which makes no difference between gains and losses [26].

By and large, behavioural finance studies have consistently found that economic decision-makers try to avoid “pain”, i.e., down risk (DR) [27]. DR was first proposed by Roy, who assumed that an investors goal was to minimize his/her potential losses. This kind of potential losses is manifested by the lower semi-deviation [28]. It is noted that even Markowitz, the proposer of the MV model, has stated that mean-lower semi-absolute deviation (MLSAD) model considering both averaged profit and downside risk is more plausible than his MV model [29]. Consequently, we attempt to use downside risk based on MLSAD model to solve PSDPs with wind power.

The contribution of this paper is that we use the MLSAD model for the wind-thermal power system dispatch. In this way, dispatchers can further balance interests of profit and risk in the uncertain environment to determine a suitable dispatching solution. Then this model is converted to a single-optimization problem using the risk tolerance parameter, which becomes a complex optimization problem under uncertainty and an advanced optimization algorithm is needed to solve it. Therefore, the improved algorithm of GSOICLW is applied, and its effectiveness is proved by comparison with other algorithms, such as GSO and particle swarm optimization (PSO). In the end, simulation studies verify the outperformance of MLSAD model and GSOICLW algorithm.

2. Mean-Lower Semi-Absolute Deviation Model for OPF Considering the Integration of Wind Power

2.1. OPF

OPF is one of the most difficult issue for PSDPs, formulated in the following:

$$\begin{aligned} \min \quad & F(x, u) \\ \text{s.t.} \quad & g(x, u) = 0 \\ & h(x, u) \leq 0 \end{aligned} \tag{1}$$

where F is the fuel cost function, x and u stand for state variables and decision variables respectively. g and h are the equality and inequality constraints respectively.

F is formulated as follows:

$$F = \sum_{i=1}^{N_G} c_i P_{G_i}^2 + b_i P_{G_i} + a_i \tag{2}$$

55 where a_i , b_i and c_i are fuel cost coefficients corresponding to the i th generator, respectively. P_{G_i}
 56 is the real power output of the i th generator, and N_G is the number of generators.

57 x is formulated in the following:

$$x^T = [P_{G_1}, V_{L_1}, \dots, V_{L_{N_D}}, Q_{G_1}, \dots, Q_{G_{N_G}}, S_1, \dots, S_{N_E}] \quad (3)$$

58 where P_{G_1} is the active power output of the slack bus generator, and V_L represent voltages of load
 59 buses. Q_G and S are reactive power outputs of generators and apparent power flows in the grid.
 60 N_E is the number of power grid branches.

61 u are the decision variables:

$$u^T = [P_{G_2} \dots P_{G_{N_G}}, V_{G_1} \dots V_{G_{N_G}}, T_1 \dots T_{N_T}, Q_{C_1} \dots Q_{C_{N_C}}] \quad (4)$$

62 where P_G and V_G are active power outputs and voltages of generators respectively. T and Q_C
 63 are tap ratios of transformers and power outputs of shunt reactive compensators. N_T and N_C are
 64 numbers of transformers and shunt compensators.

65 $g(x, u)$ requires the power balance in the grid, listed in the following:

$$0 = P_{G_i} - P_{D_i} - V_i \sum_{j=1}^{N_i} V_j (G_{ij} \cos \theta_{ij} + B_{ij} \sin \theta_{ij}) \quad 1 \leq i \leq N_0 \quad (5)$$

$$0 = Q_{G_i} - Q_{D_i} - V_i \sum_{j=1}^{N_i} V_j (G_{ij} \sin \theta_{ij} + B_{ij} \cos \theta_{ij}) \quad 1 \leq i \leq N_{PQ}. \quad (6)$$

66 $h(x, u)$ represents operational limits of a power system:

$$\begin{aligned}
P_{G_i}^{\min} &\leq P_{G_i} \leq P_{G_i}^{\max} \quad 1 \leq i \leq N_G \\
Q_{G_i}^{\min} &\leq Q_{G_i} \leq Q_{G_i}^{\max} \quad 1 \leq i \leq N_G \\
Q_{C_i}^{\min} &\leq Q_{C_i} \leq Q_{C_i}^{\max} \quad 1 \leq i \leq N_C \\
T_k^{\min} &\leq T_k \leq T_k^{\max} \quad 1 \leq k \leq N_T \\
V_i^{\min} &\leq V_i \leq V_i^{\max} \quad 1 \leq i \leq N_B \\
|S_k| &\leq S_k^{\max} \quad 1 \leq k \leq N_E
\end{aligned} \tag{7}$$

67 Nomenclature can be referred to [1].

68 2.2. MLSAD Model for OPF Considering the Integration of Wind Power

69 Markowitz firstly proposed the mean-variance (MV) model to deal with the portfolio opti-
70 mization problem, considering maximization of the profit and minimization of the risk under the
71 uncertain environment [24]. Furthermore, this model has been applied in power system optimiza-
72 tion problems [2, 23, 25, 30]. However, variance is the risk index in terms of MV model, which makes
73 no distinction between gains and losses [26]. Behavioural finance studies have consistently found
74 that economic decision-makers try to avoid “pain”, i.e., the deviation between of lower profits and
75 expected one [27]. Therefore, the downside risk was proposed in the MLSAD model, which looks
76 at the lower standard deviations of expected returns and tries to avoid potential losses [28]. Due to
77 its advantage, the MLSAD model has been widely used in dealing with portfolio problems [31–33].
78 Moreover, even Markowitz, the proposer of the MV model, has admitted that semi-variance is the
79 more plausible measure of risk than his mean-variance theory [29]. As a result, in this paper, the
80 MLSAD model is attempted to solve PSDPs with uncertain wind power integrated.

81 We set the gap of fuel costs of a power system with and without wind power as the profit
82 function, $R(u)$, and its expectation is expressed as follows:

$$R(u)^{\text{exp}} = \mathbf{E}_{P_{W_1}, P_{W_2}, \dots, P_{W_M}} \left\{ \sum_{i=1}^{N_S} (F_0 - F_i) P(F_i) \right\} \tag{8}$$

83 where $\mathbf{E}$ is the expectation operator, M is the number of wind farms, and $(P_{W_1}, P_{W_2}, \dots, P_{W_M})$
84 represent active power outputs. N_S is the number of wind power samples corresponding to $P_{W_j} (j =$

85 $1, 2, \dots, M$) obtained by a sampling method [34]. F_0 is the optimized fuel cost of a power system
 86 without wind farms integrated, F_i is the fuel cost as for the i th wind power sample, $(F_0 - F_i)$ then
 87 describes the profit brought by wind power. $P(F_i)$ is the probability of the fuel cost F_i occurs.

88 On the other hand, the downside risk, i.e., the lower semi-absolute deviation is formulated as:

$$V_-(u) = \mathbf{E}_{P_{W_1}, P_{W_2}, \dots, P_{W_M}} \left\{ |R(u) - R(u)^{\text{exp}}|_- \right\} \quad (9)$$

89 where $|a|_- = \max\{0, -a\}$.

90 It can be seen that profits are much lower than the expectation if the value of downside risk is
 91 high. Therefore, it is of necessity to take both profit and downside risk into consideration. [23, 25]
 92 optimize the mean and variance by using a risk tolerance parameter, converting this model into a
 93 single-objective optimization problem. Therefore, in this paper, a risk tolerance parameter, λ , is
 94 also used to analyze the MLSAD model. The objective function is formulated as:

$$\max R^{\text{exp}} - \lambda V_- \quad (10)$$

$$\text{s.t. } g(x, u, P_W) = 0 \quad (11)$$

$$h(x, u) \leq 0 \quad (12)$$

95 where P_W donates active wind power.

96 Usually, fuel cost is analysed in power systems, therefore, the objective function as below can
 97 also be expressed as:

$$\min F^{\text{exp}} + \lambda V_- \quad (13)$$

98 where

$$F^{\text{exp}} = \mathbf{E}_{P_{W_1}, P_{W_2}, \dots, P_{W_M}} \sum_{i=1}^{N_S} F_i P(F_i) \quad (14)$$

99 F^{exp} means the expectation of fuel cost.

100 2.3. Wind Power

101 As OPF is studied in wind-thermal PSDP, the time resolution is one hour [35]. During this
 102 resolution, the forecast error Δv is proved to follow the Gaussian distribution [12, 17].

$$\Delta v \sim N(0, \sigma_v^2) \quad (15)$$

103 where $N(0, \sigma_v^2)$ donates Gaussian distribution and the standard deviation is σ_v .

104 Therefore, the actual wind speed is:

$$v = v_f + \Delta v \quad (16)$$

105 where v_f is the forecasting value.

106 The active power of a wind turbine, P_{wt} , is obtained [36]:

$$P_{wt} = \begin{cases} 0 & 0 \leq v < v_{ci} \\ \frac{P_{ra} v_{ci}^3}{v_{ra}^3 - v_{ci}^3} + \frac{P_{ra}}{v_{ra}^3 - v_{ci}^3} v^3 & v_{ci} \leq v < v_{ra} \\ P_{ra} & v_{ra} \leq v \leq v_{co} \\ 0 & v > v_{co} \end{cases} \quad (17)$$

107 where v_{ci} , v_{ra} , v_{co} are the cut-in , rated and cut-out wind speed. P_{ra} is the rated power.

When N_{wt} turbines are installed in a wind farm, evidently, the active and reactive power are:

$$P_{farm} = P_{wt} \times N_{wt} \quad (18)$$

$$Q_{farm} = \frac{P_{farm}}{\cos\varphi} \sqrt{1 - \cos^2\varphi} \quad (19)$$

108 where $\cos\varphi$ is the constant power factor.

If the wind farm is integrated into a power system, it will affect the state of power flow. For

example, when a wind farm is connected to bus i , power flow equations are changed to:

$$P_{Gi} = P_{Di} - P_{\text{farm}} + V_i \sum_{j \in N_i} V_j (G_{ij} \cos \theta_{ij} + B_{ij} \sin \theta_{ij}) \quad (20)$$

$$Q_{Gi} = Q_{Di} - Q_{\text{farm}} + V_i \sum_{j \in N_i} V_j (G_{ij} \sin \theta_{ij} - B_{ij} \cos \theta_{ij}) \quad (21)$$

3. GSOICLW

3.1. GSO

GSO is a recently proposed optimization algorithm, which simulates animals' searching behavior. The producer, scroungers and rangers comprise the searching group. The producer has the best searching ability, and scroungers employ producer-scrounger model [9] to do local searching around the producer. Rangers adopt the searching behavior of random walk to enhance chances to escape local optima. Therefore, GSO outperforms other evolutionary algorithms as for global searching [9].

Each member has their position $\mathbf{X}_i^k \in \mathbb{R}^n$ and a scanning angle $\boldsymbol{\varphi}_i^k = (\varphi_{i1}^k, \varphi_{i2}^k, \dots, \varphi_{i(n-1)}^k) \in \mathbb{R}^{n-1}$ at the k th iteration, then the unit vector as for the scanning angle $\mathbf{D}_i^k = (d_{i1}^k, d_{i2}^k, \dots, d_{in}^k) \in \mathbb{R}^n$ is obtained [9]. The formulations of searching regarding these members are shown in the following respectively.

3.1.1. Producer

The producer, $\mathbf{X}_p^k$, adopts the animal searching behavior by randomly sampling three points, which is formulated as follows.

$$\mathbf{X}_z = \mathbf{X}_p^k + r_1 l_{\max} \mathbf{D}_p^k(\boldsymbol{\varphi}_p^k) \quad (22)$$

$$\mathbf{X}_r = \mathbf{X}_p^k + r_1 l_{\max} \mathbf{D}_p^k(\boldsymbol{\varphi}_p^k + \mathbf{r}_2 \theta_{\max}/2) \quad (23)$$

$$\mathbf{X}_l = \mathbf{X}_p^k + r_1 l_{\max} \mathbf{D}_p^k(\boldsymbol{\varphi}_p^k - \mathbf{r}_2 \theta_{\max}/2) \quad (24)$$

where $\mathbf{X}_z$, $\mathbf{X}_r$ and $\mathbf{X}_l$ are the sampled points. $\boldsymbol{\varphi}_p^k$ is scanning angle, $\theta_{\max} \in \mathbb{R}^1$ and $l_{\max} \in \mathbb{R}^1$ are maximum pursuit angle and distance. $r_1 \in \mathbb{R}^1$ is a standard normally distributed random number and $\mathbf{r}_2 \in \mathbb{R}^{n-1}$ is a uniformly distributed random vector in the range of $(0, 1)$.

125 When the producer hunts for a better resource, it will fly there. Otherwise, it will take a new
 126 randomly scanning angle:

$$\varphi^{k+1} = \varphi^k + \mathbf{r}_2 \alpha_{\max} \quad (25)$$

127 where $\alpha_{\max} \in \mathbb{R}^1$ is the maximum turning angle.

128 If the producer cannot hunt for a better resource after a iterations, the scanning angle goes
 129 back to zero degree

$$\varphi^{k+a} = \varphi^k \quad (26)$$

130 where $a \in \mathbb{R}^1$ is a constant.

131 3.1.2. Scroungers and rangers

132 Scroungers are selected from group members in random, and they perform local searching
 133 around the producer, which is formulated as follows.

$$\mathbf{X}_i^{k+1} = \mathbf{X}_i^k + \mathbf{r}_3 \circ (\mathbf{X}_p^k - \mathbf{X}_i^k) \quad (27)$$

134 where $\mathbf{r}_3 \in \mathbb{R}^n$ is a uniformly distributed random vector in the range of $(0, 1)$ and “ $\circ$ ” is the
 135 Hadamard product.

136 Then rangers adopt random walk, i.e., each ranger moves to a new position by adopting a
 137 random head angle φ_i^k and a random distance $ar_1 l_{\max} t$ at the k th iteration.

$$\mathbf{X}_i^{k+1} = \mathbf{X}_i^k + ar_1 l_{\max} \mathbf{D}_i^k(\varphi_i^k) \quad (28)$$

138 Although GSO shows excellent performance on global searching, while its local searching ability
 139 is modest [9]. In order to overcome this drawback, an enhanced GSO, GSOICLW is proposed [10],
 140 which incorporates intraspecific competition (IC) [37] and lévy walk (LW) [38] based on GSO.

141 3.2. Intraspecific Competition

142 IC comprises contest and scramble competition [37]. In the former one, successful competitor
 143 monopolises the resources. The scramble competition happens if competitors are crowded around

144 limited resources, which cannot be monopolized. Therefore, this kind of competition stimulates
 145 members to be involved in a serious scramble [39].

146 In GSO, each member hunts for the optimal resource. As a result, IC exists when members are
 147 crowded around the producer. Here we use an index proposed by Zhan [40] to describe crowdedness,
 148 f , and detailed calculation are presented:

149 (1) The mean distance d_i of each particle i with its position x_i to all the other particles is
 150 calculated.

$$d_i = \frac{1}{N-1} \sum_{j=1, j \neq i}^N \sqrt{\sum_{k=1}^D (x_i^k - x_j^k)^2} \quad (29)$$

151 where N and D are the population size and the number of particles' dimensions.

152 (2) Then, f can be expressed as

$$f = \frac{d_g - d_{\min}}{d_{\max} - d_{\min}} \in [0, 1]. \quad (30)$$

153 where d_g is the d_i as for the leading particle, $d_{\max}$ and $d_{\min}$ are the maximum and minimum
 154 distance by comparing all d_i .

155 It can be seen GSO members are crowded around the producer when f is small. Then IC
 156 happens, and $\mathbf{r}_3 = (r_{3_1}, r_{3_2}, \dots, r_{3_D})$ (called scrounging coefficient), is chosen as higher values to
 157 show the serious competition. In GSOICLW, we suppose IC happens if f is less than a constant
 158 value, η . Therefore, the value of $\mathbf{r}_3$ is determined by f as follows.

$$r_{3_i} = \begin{cases} \text{random} \in (\zeta, 1) & f < \eta \\ \text{random} \in (0, \zeta) & f \geq \eta \end{cases} \quad i = 1, 2, \dots, D \quad (31)$$

159 where ζ is threshold for the scrounging coefficient to manifest IC.

160 3.3. Diversifying Effect of IC

161 IC happens when group members are in crowdedness and competing for a limited resource.
 162 Then the diversifying effect will emerge, i.e., the increasing density of IC will make some individuals
 163 resort to alternative resources [41]. In this way, more members will hunt for another resource, who
 164 become dispersed individuals as rangers [41–43].

165 In this way, the diversifying effect will also happen when the group members of GSO are in

Figure 1: The illustration of GSOICLW

IC, i.e., some members will become rangers, escaping from the competition. Furthermore, more intense IC, more rangers emerging [41]. As for GSO, the ratio of rangers is a constant of 20%. However, the diversifying effect implies that the proportion of rangers should vary corresponding to the intensity of IC. As a result, the ratio of rangers (donated as c_f) in GSOICLW is expressed as:

$$c(f) = \begin{cases} \frac{1}{\alpha + \beta \times \sin(f)} & f < \eta \\ 0.2 & f \geq \eta \end{cases} \quad (32)$$

where α and β are coefficients, they can be determined when programming.

3.4. Lévy Walk

In the algorithm of GSO, rangers adopt RW to hunt for alternative resources. However, it has been proved that LW is of high efficiency, compared with RW [38]. As a result, we set rangers' dispersing behavior to be LW rather than RW, and it is adopted in GSOICLW. Rangers' dispersing length, r , should be drawn from a power-law tail probability distribution function: [38]

$$P(r) \sim r^{-\mu} \quad (1 < \mu < 3). \quad (33)$$

Therefore, the i_{th} ranger moves to:

$$\mathbf{X}_i^{k+1} = \mathbf{X}_i^k + a \cdot r l_{\max} \mathbf{D}_i^k(\boldsymbol{\varphi}^{k+1}) \quad (34)$$

To be concluded, IC and LW are incorporated into GSO shown in Fig. 1. Initially, scroungers follow the producer, and rangers adopt RW to find other resources. When group members are

Figure 2: The framework of obtaining the optimal dispatching solution of wind-thermal power system dispatch

crowded, IC happens and the scrounging coefficient and rangers' ratio varies adaptively. Moreover, it has already been proved GSOICLW outperforms other algorithms, such as GSO [10]. Consequently, we adopt this algorithm to solve the MLSAD model. It is noted that latin hypercube sampling with cholesky decomposition (LHS-CD) is used to sample wind speed forecast errors. The detailed LHS-CD calculation steps can be referred to [34].

The procedure of wind-thermal power system dispatch is illustrated in Fig. 2. At the first step, the forecasting error samples of wind speed are obtained by the LHS-CD method, and the frequency distribution is described. Then the frequency distribution and samples of the wind power are also derived. Consequently, the MLSAD model and the algorithm of GSOICLW are applied to gain the optimal solution, considering both the mean and downside risk.

4. Simulation Studies

To evaluate effectiveness of the MLSAD model and algorithm of GSOICLW, simulation studies are based on a modified IEEE 30-bus power system, which is shown in Fig. 3. For this system, the fuel cost coefficients a_i , b_i and c_i are listed in Table 1. It is assumed that a wind farm with 80

Figure 3: IEEE 30-bus power system

194 turbines is integrated to the bus 10. Moreover, the predicted wind speed and its standard deviation
 195 of forecast error are assumed to be 10 m/s and 8%, respectively. The sampling numbers of LHS-CD
 196 is set as 400.

Table 1: Fuel cost coefficients of the test system

Unit	a_i	b_i	c_i	$P^{\max}$	$P^{\min}$
1	0	2	0.00375	250	50
2	0	1.75	0.0175	80	20
3	0	1	0.0625	50	15
4	0	3.25	0.0083	35	10
5	0	3	0.025	30	10
6	0	3	0.025	40	12

Table 2: Results of 3 algorithms in terms of Case I

Algorithms	Best (\$/h)	Worst (\$/h)	Average (\$/h)	Standard deviation	p -value (h -value)
GSOICLW	532.4	533.6	533.1	0.18	N/A
GSO	536.6	538.4	537.4	0.39	1.801×10^{-12} (1)
PSO	535.9	540.8	538.1	0.97	2.526×10^{-14} (1)

197 Two cases are studied, one is to verify the outperformance of GSOICLW on minimization of the
 198 fuel cost with predicted wind speed, compared with GSO and PSO. The reason is that it is usual
 199 to compare performances of these algorithms to further prove advance of the enhanced one, using
 200 experiments [44]. The other aims to test the effectiveness of the MLSAD model, with consideration
 201 of uncertainty of wind power.

In the first case, GSOICLW is tested and compared with the other two optimization algorithms, i.e., GSO and PSO, and 50 independent trails and the Mann-Whitney U-test are adopted [45]. The numbers of fitness evaluation for the three algorithms are all set to be 15000. It is known that parameters will affect the performance of optimization algorithms, therefore, we adopt the method of investigating effects of control parameters [9], and obtain the appropriate parameters of IC and LW: $\zeta = 0.8$, $\eta = 0.2$, $\alpha = 2.0$, $\beta = 3.56$ and $\mu = 2$.

4.1. Minimization of fuel cost considering predicted wind speed

This case aims to minimize the fuel cost as shown in (2). It is noted that we use the predicted wind speed on bus 10 rather than uncertain speed. Simulation results, including best, worst, average results and standard deviations of fuel costs obtained by the 3 algorithms as for 50 runs are shown in Table 2 respectively. It is seen GSOICLW obtains better solution as the values of average and standard deviation obtained by this algorithm are 533.1 \$/h and 0.18. In terms of GSO and PSO, the worst results (538.4 \$/h and 540.8 \$/h) and standard deviations (0.39 and 0.97), are much worse than that of GSOICLW. In addition, the gained p -values and h -values of Mann-Whitney U-test show results of GSOICLW are different from the other algorithms. Therefore, it has been proved that GSOICLW outperforms GSO and PSO on OPF with predicted wind speed.

Moreover, Fig. 4 shows the convergent results obtained by these algorithms in the 50 trails. It is verified that results of GSOICLW are more robust. Consequently, the standard deviation in terms of GSOICLW is merely 0.18. Furthermore, to well demonstrate the process of IC, the varying values among 300 iterations of scrounging coefficient (SC) and rangers' ratio are shown in Fig. 5. It is noted that SC is a vector, therefore, the minimum value of this vector is shown in the figure. It can be seen that members of GSOICLW are in IC when the minimum value of SC is bigger than ζ (0.8), and then rangers' ratio are adaptively varying in this phrase.

4.2. Optimization of the MLSAD model with uncertain wind speed

In order to obtain the optimal dispatch solution considering the uncertain wind speed, the MLSAD model is then solved by GSOICLW. By introducing risk tolerance parameter, different weights are assigned to F^{exp} versus the downside risk term V_- shown in (10). λ is set to vary from 0.0 to 0.5. The values of mean and downside risk are obtained and shown in Table 3, and Table 4 lists the solutions corresponding to difficult risk tolerance parameters. We can see that different

Figure 4: The varying parenters in 300 iterations as for GSOICLW

levels of risk lead to varying fuel costs. The mean value of fuel cost corresponding to a conservative solution ($\lambda = 0.5$) is 681.5 \$/h while 533.5 \$/h for the aggressive dispatch solution ($\lambda = 0$).

Furthermore, Fig. 6 depicts mean value and semi-absolute deviation (downside risk) versus the risk tolerance parameter, which shows expected fuel cost increases as downside risk decreases. Fig. 7 presents fuel costs corresponding to different wind power samples for solutions A , B and C when λ is chosen as 0.5, 0.2 and 0.0 respectively. It is noted that in this paper, the downside risk is studied, therefore, the fuel costs which are more than their expectation and imply downside risk, are shown in Fig. 7. It is evident that the averaged fuel cost of C is much less than those of other solutions. However, its semi-absolute deviation is as high as 43.3 \$/h, much more than those of other dispatch solutions. This means that solution C cannot well adjust different wind samples, in detail, its high downside risk implies more potential losses. For instance, the values of some fuel costs samples are larger than those of solution B , the 47th, 202th and 264th samples are even more than those of solution A .

Table 3: Values of mean and lower semi-absolute deviation with different risk tolerance parameters

λ	0.0	0.1	0.2	0.3	0.4	0.5
$R(u)^{\text{exp}} (\$/h)$	533.5	590.2	631.8	642.6	658.8	681.5
$V_- (\$/h)$	43.3	20.2	13.2	8.9	7.1	6.4

On the contrary, although the deviation in terms of A is much smaller, its corresponding expected fuel cost is too high, i.e., 681.5 \$/h. For the consideration of economic aspects, it may

Figure 5: The varying parameters in 300 iterations as for GSOICLW

Figure 6: Values of mean and semi-absolute deviation with different risk tolerance parameters

not be reasonable for dispatchers to select this solution. Based on the discussion above, it is probable that solution B is chosen as a final dispatch solution, to a large extent. To be concluded, power system dispatchers should analyze both the profit and downside risk in terms of wind-thermal power system dispatch problem.

Figure 7: Fuel costs samples as for solutions A , B and C

Table 4: The obtained solutions corresponding to difficult risk tolerance parameters

	$\lambda = 0$	$\lambda = 0.1$	$\lambda = 0.2$	$\lambda = 0.3$	$\lambda = 0.4$	$\lambda = 0.5$	Min	Max
P_{G_2}	36.43	45.01	49.59	51.70	52.38	53.15	20	80
P_{G_5}	17.78	20.82	23.53	19.67	19.90	25.64	15	50
P_{G_8}	10.75	15.52	25.24	13.37	12.72	26.76	10	35
$P_{G_{11}}$	10.68	11.17	17.45	12.05	13.19	16.22	10	30
$P_{G_{13}}$	12.32	12.52	15.89	14.36	12.99	23.86	12	40
V_{G_1}	1.0123	1.0221	1.0315	1.0265	1.0443	1.0232	0.95	1.10
V_{G_2}	0.9957	1.0321	1.0372	1.0367	1.0356	1.0321	0.95	1.10
V_{G_5}	0.9850	0.9905	1.0010	0.9973	1.0040	1.0199	0.95	1.10
V_{G_8}	0.9836	0.9922	0.9842	1.0097	1.0001	0.9701	0.95	1.10
$V_{G_{11}}$	1.0392	1.0192	1.0421	1.0912	1.0549	1.0758	0.95	1.10
$V_{G_{13}}$	1.0138	1.0196	1.0268	1.0795	1.0188	1.0693	0.95	1.10
T_{11}	0.9875	0.9625	1.0000	0.9875	0.9875	0.9875	0.90	1.10
T_{12}	0.9625	0.9500	0.9625	0.9625	0.9500	0.9625	0.90	1.10
T_{15}	0.9750	0.9750	1.0000	0.9875	0.9750	0.9875	0.90	1.10
T_{36}	0.9500	0.9875	0.9500	0.9625	0.9500	0.9500	0.90	1.10
$Q_{C_{10}}$	0.04	0.02	0.05	0.04	0.03	0.02	0.00	0.05
$Q_{C_{12}}$	0.05	0.04	0.02	0.05	0.03	0.05	0.00	0.05
$Q_{C_{15}}$	0.04	0.04	0.04	0.05	0.04	0.03	0.00	0.05
$Q_{C_{17}}$	0.02	0.04	0.05	0.05	0.05	0.05	0.00	0.05
$Q_{C_{20}}$	0.04	0.04	0.04	0.04	0.05	0.04	0.00	0.05
$Q_{C_{21}}$	0.04	0.05	0.05	0.05	0.04	0.05	0.00	0.05
$Q_{C_{23}}$	0.02	0.03	0.03	0.02	0.03	0.04	0.00	0.05
$Q_{C_{24}}$	0.04	0.03	0.05	0.05	0.05	0.05	0.00	0.05
$Q_{C_{29}}$	0.03	0.04	0.02	0.03	0.04	0.03	0.00	0.05

The mean-lower semi-absolute deviation (MLSAD) model has been applied to solve the wind-thermal power system dispatch. It takes the profit and downside risk into account, and GSOICLW is used to solve this complex problem for obtaining the dispatch solution. The simulation study including two cases, the first has tested the performance of GSOICLW on the minimization of the fuel cost considering predicted wind speed, and results have proved that GSOICLW outperforms GSO and PSO. In the other case, the MLSAD model has been optimized by GSOICLW considering uncertain wind speed. Its effectiveness and applicability as for wind-thermal power system dispatch problems have been verified by analysing expected fuel costs and downside risks in terms of different solutions. Further study using the MLSAD model and the GSOICLW algorithm can be investigated in the area of microgrid scheduling, energy network operations, etc.

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